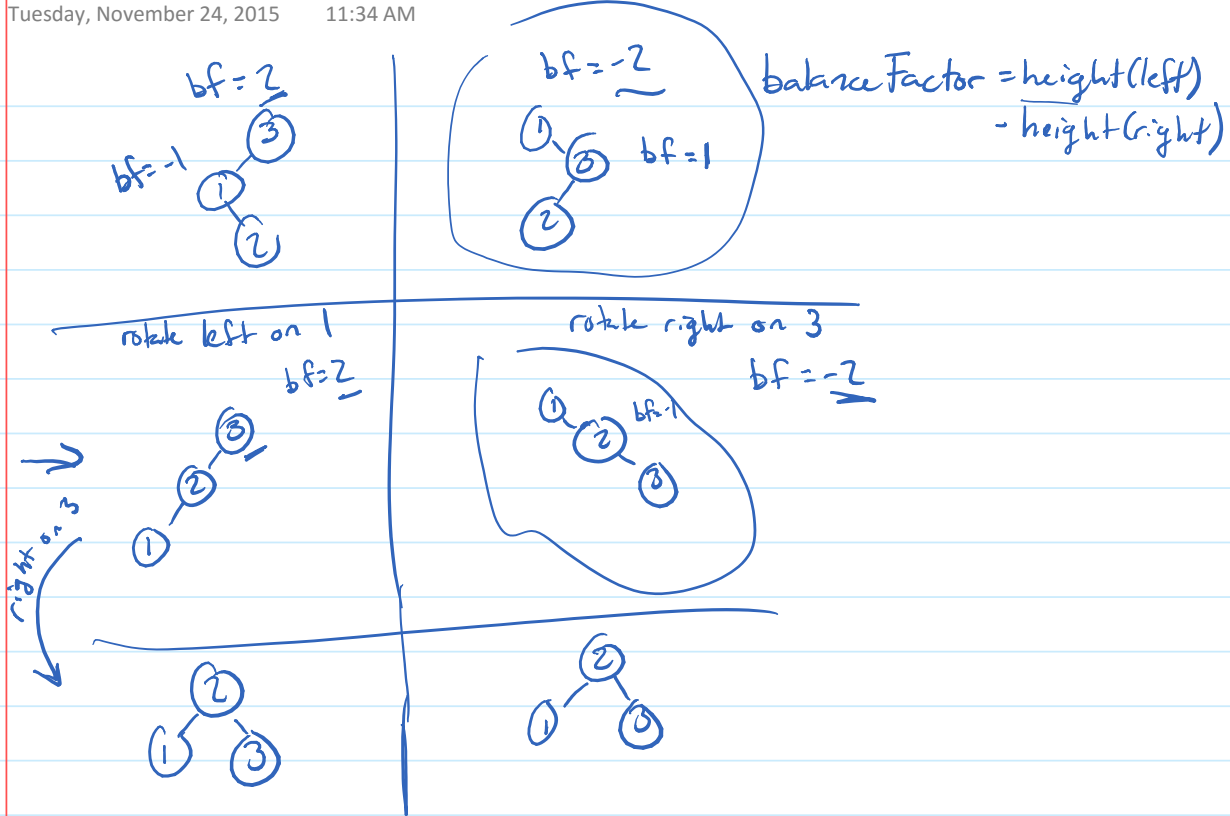


AVL Trees, Sets, Hashmaps, etc.

Tuesday, November 24, 2015

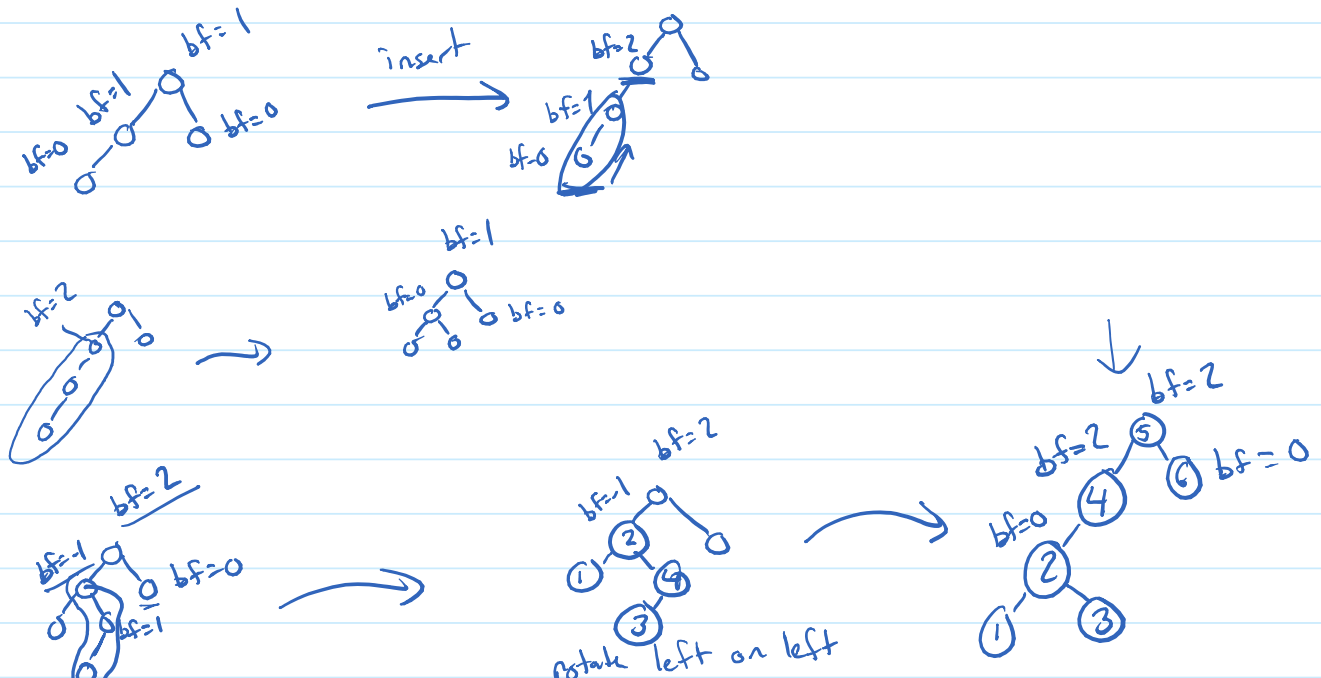
11:34 AM

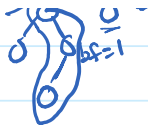


AVL trees

inserts do a standard BST insert

(Traverse back to the root, rebalancing as needed)



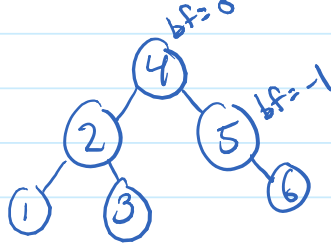


rotate left on left child

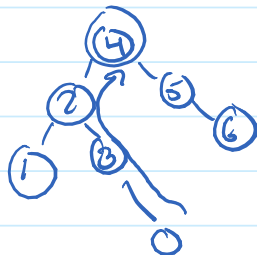


rotate right on 5

AVL Tree

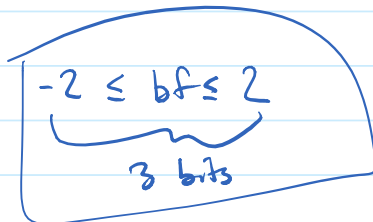


Standard BST

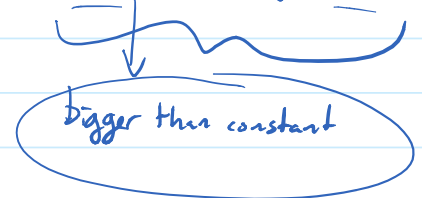


Best way

```
Node {
    E element;
    Node left, right, parent;
    int balanceFactor;
}
```



```
Node {
    E element;
    Node left, right, parent;
    int leftHeight, rightHeight;
}
```

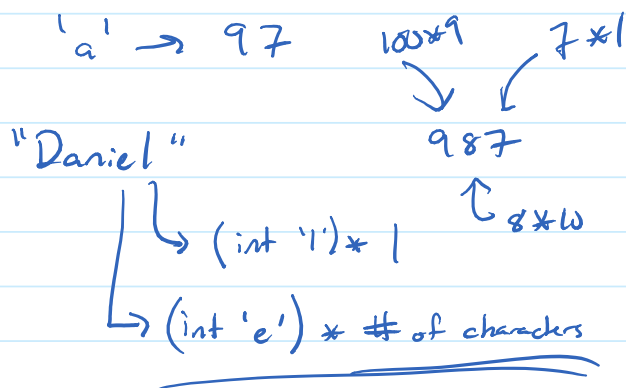


Hash Maps, Hash Sets

Hash functions

should take an object and produce some unique identifier for that object.

In Java "identifier" is an int



This generates a unique encoding, but it uses too much space

Reduce the size of the "range" of my hash function
(i.e. multiple strings must map to same int)

md5

sha-1

sha-256

Hash Set

Naïve approach: Use a list

On insert, check for equality:

if no: insert

else: do nothing

Better approach: • Use a list of hashcodes

- On insert, let h be the hashcode of the obj:

- Iterate through sublist at hash, checking for equality:

- if no: insert

- else: do nothing

Hash Map

$E[\cdot]$

arrays hold some arbitrary type, but they're indexed w/ numbers

HashMap (K, V) (Dictionaries, assoc. lists)

$\boxed{\text{grades}["\text{Dan}"] = 0} \mapsto \text{grades.set}("Dan", 0);$

$\frac{\text{list}[1] = "Dan"}{\text{want}} \rightarrow \text{list.insert}(1, "Dan")$

$\begin{matrix} \text{print} \\ \text{grades}["Dan"] \end{matrix} \mapsto \text{grades.get}("Dan");$
→ 0

import java.util. HashMap

$\boxed{\text{HashMap}(\text{String}, \text{Integer}) \text{ grades} = \text{new HashMap}(\text{String}, \text{Integer})();}$

public class HashMap (K, V) {

Most operations on HashMaps are constant

Objects

String toString()

boolean equals(Os)

int hashCode()

Graphs

Tree

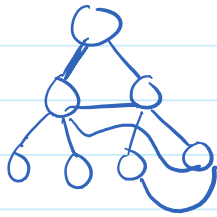
What is a graph?

a graph is a set of vertices, and a set of edges

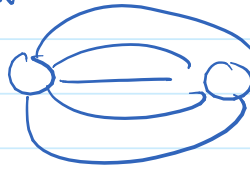
Multigraph



or edges

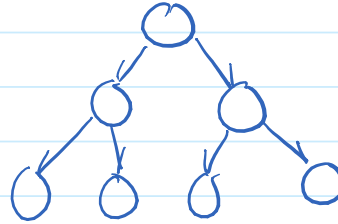


Multigraph

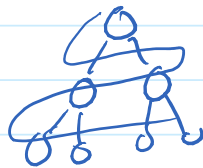


Undirected graphs

Directed graphs
"edges have a direction"



Undirected graphs are directed graphs where, given an edge in E from x to y , the corresponding edge from y to x is also in E



DFS & BFS extend to graphs